## Math 1432

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Office Hours:

Mondays 1-2pm, Fridays noon-1pm (also available by appointment)

Class webpage: <a href="http://www.math.uh.edu/~bekki/Math1432.html">http://www.math.uh.edu/~bekki/Math1432.html</a>

## Popper 32

- **1.** Which of the following is the cardioid?
- **2.** Which of the following is the flower?
- **3.** Which of the following is the limaçon with a dent (dimple)?
- 4. Which of the following is the limaçon with an inner loop?
- **5.** Which of the following is the circle?



## Area in Polar Coordinates



The area of a polar region is based on the area of a sector of a circle.

Area of a circle =  $\pi r^2$ 

Therefore the area of a sector of a circle is the part of the circle you want times the area of the whole circle:

Area sector = 
$$\frac{\theta}{2\pi} \bullet \pi r^2 = \frac{1}{2}r^2\theta$$

Find the area of the region between the origin and the polar graph of  $r = \rho(\theta)$  for  $\theta$  between a and b.



1. Find the area bounded by the graph of  $r = 2 + 2 \sin \theta$ .



2. Find the area inside one petal of the flower given by  $r = 2 sin (3\theta)$ .



3. Find the area inside one petal of the flower given by  $r = 4 \cos (2\theta)$ .





5. Write the integral to find the area between  $r = 1 + \cos \theta$ , r = cos  $\theta$ , for  $\theta = 0$  to  $\theta = \pi/2$ 





7. Find the area between the loops of  $r = 1 + 2 \cos \theta$ .





a kea from 0 to 21 0-1-O = dr x 0:0



area traced from 0 to 311/2



In traced twice

area traced from 0 to 211



traced twice

8. Give the area of the region that is in quadrant 4 and inside the outer loop of the polar graph  $r = 1 - 2 \cos(\theta)$ 



7. Give the integral that will determine the area inside one petal of the flower given by  $r = sin (3\theta)$ .

How can we find the length of a polar curve?

$$\mathsf{L}(\mathsf{C}) = \int_{\alpha}^{\beta} \sqrt{\left[\rho(\theta)\right]^{2} + \left[\rho'(\theta)\right]^{2}} \, \mathsf{d}\theta$$

Verify the formula for the circumference of a circle with radius *a* using the formula above.

Set up the integral to find the length of one petal of the curve  $r = \cos 3\theta$ 

Determine the length of the perimeter of the region in Quadrant I bounded by the circles  $r=2\sin\theta$  and  $r=2\cos\theta$