

Section 6.2
The Number of Elements in a Finite Set

Let A be a set, then $n(A)$ is the **number of elements in the set A** .

Given two sets A and B .

1. If A and B are disjoint then $n(A \cup B) = n(A) + n(B)$.
2. If A and B are not disjoint then $n(A \cup B) = n(A) + n(B) - n(A \cap B)$.

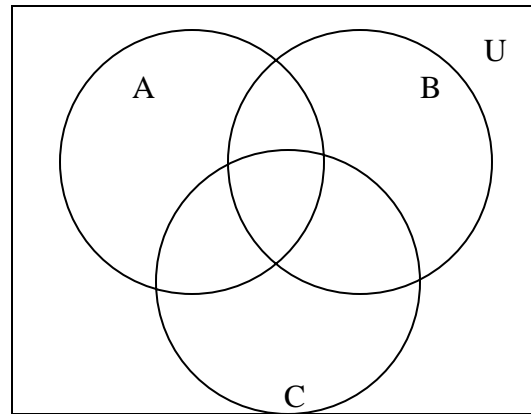
Example 1: Let A and B be subsets of a universal set U . Given that $n(B) = 9$, $n(A \cap B) = 5$, and $n(A \cup B) = 20$, find $n(A)$.

Example 2: Let A and B be subsets of a universal set U . Given that $n(A^c \cup B)^c = 3$, $n(A \cap B) = 4$, and $n(A \cup B)^c = 9$, find $n(B^c \cup A)$.

Example 3: Let A and B be subsets of a universal set U . Given that $n(U) = 100$, $n(A^c) = 61$, $n(B) = 56$, and $n(A \cup B)^c = 30$. Find $n(A^c \cap B)^c$.

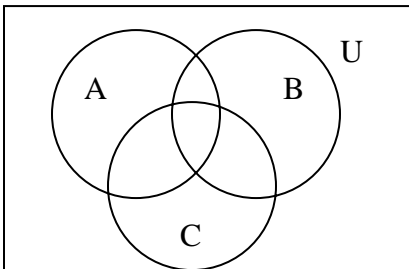
Example 4: Let A, B and C be subsets of a universal set U.

- $n(U) = 76$
- $n(A) = 45$
- $n(B) = 40$
- $n(C) = 41$
- $n(A \cap B) = 24$
- $n(B \cap C) = 22$
- $n(A \cap C) = 30$
- $n(A \cap B \cap C) = 16.$

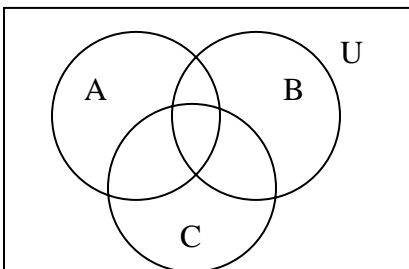


Find:

a. $n[(B \cap C)^c \cup A] =$



b. $n[B \cap C^c] =$



Example 5: In a survey of 374 coffee drinkers it was found that 227 take sugar, 245 take cream, and 163 take both sugar and cream with their coffee. How many take sugar or cream, but not both?

