

## Notes

- Check the Course Calendar for Homework, EMCF and Quiz information.
- Practice Test 2 is available. Your score counts as a quiz grade.
- Test 2 is Oct 4 - Oct 8 You should have already registered on CourseWare.

23 Video help for section 3.7	24 Blank Slides EMCF11 due at 9am Homework 4 Due in Lab/Workshop Quiz 3 Closes (2.6 and 3.1)	25	26 Blank Slides EMCF12 due at 9am Homework 5 Posted	27 Video help with section 3.8	28 EMCF13 due at 9am (a correction was made to problem 7 on 9/23) Last day to apply for fall graduation with a \$25 fee.	29 Review Problems for Test 2
30	October 1 EMCF14 due at 9am Homework 5 due in lab/workshop Quiz 4 Closes (3.2-3.4)	2 Online Live Review for Test 2 from 8:15-10:15pm. A link will appear here prior to the session.	3	4 Test 2 Starts	5	6
7	8 Test 2 Ends Quiz 5 Closes (3.5-3.6)	9	10	11	12	13

## American Medical Students Association Second General Meeting

September 24, 2012  
Farish Hall KIVA ROOM at 7:00 pm

Dr. Peak will be the main speaker and she will be giving information about a lot of pre-medical/medical school programs offered at our school for both under and upperclassmen! There is also free food and drinks!

**Question:** How does an object fall?  
*starts its*  
 Assume the object falls at time  $t = 0$  from a height  $s_0$  and initial velocity  $v_0$ .  
*neglect air friction!*  
*Setting - low altitude, close to sea level.*

$s(t) =$  height from the ground

**Important Terms:** Position, velocity, speed and acceleration.  
 $s'(t) = v(t)$   
 $|v(t)|$   
 change in position w/rt time  
 $= a(t) = v'(t)$   
 magnitude of velocity.  
 change in velocity w/rt time

at  $t=0$  starts at  
 Assume the object fall at time  $t=0$  from a height  $s_0$  and initial velocity  $v_0$   
 $v_0 > 0 \Rightarrow$  initially rising  
 $v_0 < 0 \Rightarrow$  initially falling

height  
 $s_0$   
 For  $t \geq 0$  (until the object strikes the ground)  
 $a(t) \equiv \text{constant}$

meters	feet
$a(t) = -9.8 \text{ m/sec}^2$	$a(t) = -32 \text{ ft/sec}^2$
recall $a(t) = v'(t)$	$\vdots$
$v(t) = -9.8t + C$	$\vdots$
$v(0) = v_0 \Rightarrow$	$\vdots$
$v(t) = -9.8t + v_0$	$v(t) = -32t + v_0$
recall $s'(t) = v(t)$	$\vdots$
$s(t) = -4.9t^2 + v_0t + ?$	$\vdots$
$s(0) = s_0$	$\vdots$
$\Rightarrow s(t) = -4.9t^2 + v_0t + s_0$	$s(t) = -16t^2 + v_0t + s_0$

**Example:** An object is dropped from a height of 20 feet. If we neglect air friction, how long will it take for the object to hit the ground?

$v_0 = 0$   
 $s_0$   
 $s(t) = 0$

$s(t) = -16t^2 + 0t + 20$

Find  $t$  so that  $s(t) = 0$ .

Solve  $-16t^2 + 20 = 0$

$t = \frac{5}{4}$   
 $t = \frac{\sqrt{5}}{2} \text{ sec.}$

hm?  $v_0 = ?$   $s_0 = 20 \text{ ft}$

**Example:** An object is launched from a height of 20 feet. Give the initial velocity required to cause the object to strike the ground 5 seconds later.

Find  $v_0$   $s(5) = 0$

$s(t) = -16t^2 + v_0t + 20$

Also,  $s(5) = 0$

$\Rightarrow -16 \cdot 25 + v_0 \cdot 5 + 20 = 0$

$v_0 = 76 \text{ ft/sec.}$

**Popper P07**


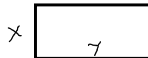
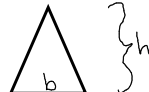
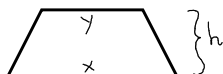
1. What is the speed of the object in the previous example at the time that it is launched?
2. What is the speed of the object in the previous example when it hits the ground?

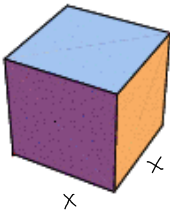
## Rates of Change

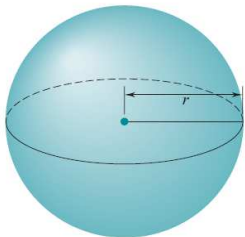
You must know...

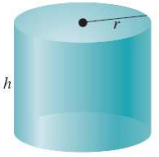
Areas, circumferences, volumes and surface areas of basic shapes.

Pythagorean Theorem

Shape	Area	Circumference
	$\pi r^2$	$2\pi r$
	$xy$	$2x + 2y$
	$\frac{1}{2}hb$	Not Needed
 (top + bottom are parallel)	$\frac{1}{2}(x+y)h$	Not Needed

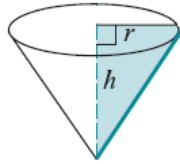
Shape	Volume	Surface Area
<p>Cube</p> 	$x^3$	$6x^2$

Shape	Volume	Surface Area
<p>Sphere</p> 	$\frac{4}{3}\pi r^3$	$4\pi r^2$

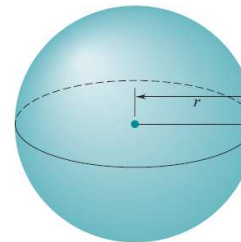
Shape	Volume	Surface Area
right circular cylinder 	$\pi r^2 h$	$2\pi r^2 + 2\pi r h$

**Popper P07**

- The volume of a sphere of radius 3 cm is \_\_\_\_\_  $\text{cm}^3$ .
- The surface area of a sphere of radius 3 cm is \_\_\_\_\_  $\text{cm}^2$ .
- The volume of a right circular cylinder of radius 3 cm and height 4 cm is \_\_\_\_\_  $\text{cm}^3$ .

Shape	Volume	Surface Area
right circular cone 	$\frac{1}{3}\pi r^2 h$	Not Needed

**Example:** Give the rate of change of the surface area of a sphere with respect to its radius  $r$ .



$$S = 4\pi r^2$$

$$\frac{dS}{dr} = 8\pi r$$

Give the rate of change of the volume of a sphere with respect to its radius  $r$ .

$$V = \frac{4}{3}\pi r^3$$

$$\frac{dV}{dr} = 4\pi r^2$$

**Example:** A water tank in the shape of a right circular cone (with point down) is being filled with water. The height of the cone is 7 meters and the base of the radius of the top of the tank is 3 meters. Suppose water is being added to the tank at the rate of  $1/10 \text{ m}^3/\text{sec}$ . How fast is the depth of the water in the tank increasing when the tank contains  $50 \text{ m}^3$ ?

See the video.