All the problems below are with compound interest.



In the last two boxes above, we simply state "with compound interest" to emphasize that it's neither a present value OF AN ANNUITY nor a future value OF AN ANNUITY.





5. Jenna wants to begin saving money for a new car. She can make monthly payments of \$150 into an account at her credit union which pays 5% annual interest compounded monthly. How much money will she have available for her new car in three years?

Future
$$S = R((1+i)^n - 1)/(i)$$

= $\$ = 1 \times 13$

6. The manager of a manufacturing company knows that they will need a new machine in one of their factories. The new machine will cost them \$12,500. The manager has determined that they can afford to pay 20% of the cost of the machine in cash. They can then finance the rest through a credit union. The credit union will charge 2% per year compounded monthly. How much are their monthly payments for 4 years?



Example 7: Given the following Venn diagram, which region(s) make(s) up:



a. $A^{c} \cap B$ $\uparrow Intersection$ $\downarrow In Common$ b. $A^{c} \cap B^{c}$ $A^{c} \wedge B = II$ $A^{c} \wedge B = II$ $A^{c} \wedge B = I$

Example 8: Find the number of elements in each set.



Example 9: 800 college freshmen were surveyed regarding their enrollment in Math, Physics and English classes. The survey revealed the following:

184 were enrolled in Physics and Math
399 were enrolled in Math
168 were enrolled in Physics and English
314 were enrolled in Physics
101 were enrolled in all three
212 were enrolled in Math and English

418 were enrolled in English



$$M^{\prime}UP^{\prime} = (M \Lambda P)^{\prime} = 400 - 403 - 101$$

= 616

a. How many were enrolled in Math or Physics?

A Longlenent (O yellow)

b. How many were not enrolled in Math or English but were enrolled in Physics?

$$(MUE)^{C} \cap P = 63$$

Example 10: Suppose 4 pens are selected at random from a box containing 9 yellow pens and 6 blue pens. In how many ways can you choose at least 1 yellow pen?

$$u = 0 \text{ yellows} = C(15, 4) - C(9, 6) \cdot C(6, 4)$$

$$1365 - 15 = 1350$$

Example 11: A club has 58 members, 38 men and 20 women. A committee must consist of 8 people. In how many ways can the committee consist of at most 1 woman?

Example 12: A business organization needs to make up a 5 member fund-raising committee. The organization has 10 accounting majors and 8 finance majors. In how many ways can the fund-raising committee be formed if at most 1 accounting major is on the committee?

Example 13: If a coin is tossed 14 times.

a. What is the probability that heads will come up exactly 10 times?

C(14,10) = 1001 P(10Huds) = 1001 16,544

0.06110

0,9991

b. What is the probability that heads comes up at most 12 times? D-12 is complement is 13,14

$$1 - \frac{(14,13) + (14,14)}{16,3464}$$

5 Det
5 Good

$$\frac{c(5,4),c(15,3) + c(5,5),c(15,2)}{77,520}$$

b. at most 4 are defective?

١

0-4 Def

Complement

5 Det 2 Good (Sample of 7)

$$P(E) = 1 - \frac{((5,5) \cdot ((15,2))}{((20,7))}$$

-- 0.9946

