

Conference Co-Chairs

Kaitai Li, Xi'an Jiaotong University, China
Tsorng-Whay Pan, University of Houston, U.S.A.

Jiwen He, University of Houston, U.S.A.

Scientific Committee

John Bear, University of Houston, U.S.A.
Paul Chu, Hong Kong University of Science and Technology, Hong Kong
Junzhi Cui, Chinese Academy of Sciences, China
Yuri Kuznetsov, University of Houston, U.S.A.
Qun Lin, Chinese Academy of Sciences, China
Olivier Pironneau, Paris VI, France
Thomas Russell, University of Colorado at Denver and NSF, U.S.A.
Zhong-Ci Shi, Chinese Academy of Sciences, China
Xiao-Ping Wang, Hong Kong University of Science and Technology, Hong Kong
Jinchao Xu, Pennsylvania State University, U.S.A.

Zhangxin Chen, University of Calgary, Canada
Philippe G. Ciarlet, City University of Hong Kong, Hong Kong

Roland Glowinski, University of Houston, U.S.A.
Ta-Tsien Li, Fudan University, China
Jeff Morgan, University of Houston, U.S.A.
Jacques Rappaz, EPFL, Switzerland
Danny Sorensen, Rice University, U.S.A.

Junping Wang, NSF, U.S.A.
Mary F. Wheeler, University of Texas at Austin, U.S.A.

Organizing Committee

Jiwen He, University of Houston, U.S.A.
Aixiang Huang, Xi'an Jiaotong University, China
Yanping Lin, University of Alberta, Canada
Lihe Wang, University of Iowa, U.S.A.
Ningning Yan, Chinese Academy of Sciences, China
Xijun Yu, Institute of Applied Physics and Computational Mathematics, China

Yinnian He, Xi'an Jiaotong University, China
Kaitai Li, Xi'an Jiaotong University, China
Tsorng-Whay Pan, University of Houston, U.S.A.
Xuejun Xu, Chinese Academy of Sciences, China
Aihui Zhou, Chinese Academy of Sciences, China

Invited Speakers

Jalal Abedi, University of Calgary, Canada
Alexandre Caboussat, University of Houston, U.S.A.
Zhangxin (John) Chen, University of Calgary, Canada
Junzhi Cui, Chinese Academy of Sciences, China
JimmyChi-HungFung, Hong Kong University of Science and Technology, Hong Kong
Weimin Han, University of Iowa, U.S.A.
Jiwen He, University of Houston, U.S.A.
Yuri Kuznetsov, University of Houston, U.S.A.
Kaitai Li, Xi'an Jiaotong University, China
Qun Lin, Chinese Academy of Sciences, China
B. Montgomery Pettitt, University of Houston, U.S.A.
Jacques Rappaz, EPFL, Switzerland

Zhong-Ci Shi, Chinese Academy of Sciences, China

Junping Wang, NSF, U.S.A.

Mary F. Wheeler, University of Texas at Austin, U.S.A.
Enrique Zuazua, Universidad Autonoma de Madrid, Spain

Yann Brenier, Nice, France
Suncica Canic, University of Houston, U.S.A.
Philippe G. Ciarlet, City University of Hong Kong, Hong Kong
Bjorn Engquist, University of Texas at Austin, U.S.A.
Roland Glowinski, University of Houston, U.S.A.

Cheng He, Chinese Academy of Sciences, China
Ronald W. Hoppe, University of Houston, U.S.A.
Claude Le Bris, CERMICS-ENPC, France
Ta-Tsien Li, Fudan University, China
Tsorng-Whay Pan, University of Houston, U.S.A.
Olivier Pironneau, Paris VI, France
Thomas Russell, University of Colorado at Denver & NSF, U.S.A.

Penger Tong, Hong Kong University of Science and Technology, Hong Kong
Xiao-Ping Wang, Hong Kong University of Science and Technology, Hong Kong

Jinchao Xu, Pennsylvania State University, U.S.A.

Sponsors

Ministry of Education of China
National Science Foundation of U.S.A.

National Natural Science Foundation of China
Xi'an Jiaotong University

Contacts

For more information, please contact (preferably by email)

Prof. Kaitai Li

Department of Mathematics
Xi'an Jiaotong University
Xi'an 710049, China
Tel: 0086-29-82669051
Fax: 0086-29-82669051
Email: ktli@mail.xjtu.edu.cn

Prof. Tsorng-Whay Pan

Department of Mathematics
University of Houston
Houston, TX 77204-3008, U.S.A.
Tel: 713-743-3448
Fax: 713-743-3505
Email: pan@math.uh.edu

Prof. Jiwen He

Department of Mathematics
University of Houston, U.S.A.
Houston, TX 77204-3476
Tel: 713-743-3481
Tel: 713-743-3505
Email: jiwenhe@math.uh.edu

Web Page

<http://www.math.uh.edu/~pan/ICMS2008.html>

Place of the Conference: Main Building B--103

Program

July 9, 2008 (Wednesday)

Room: Main building B--103

8:30 ~ 9:00	Opening Ceremony and Taking Pictures (Chair: Zhangxin Chen)
Session 1 (Chair: Yanren Hou)	
9:15 ~ 10:00	Roland Glowinski University of Houston, U.S.A. Title: Computation of the best constant in some Strauss-Nirenberg inequalities
10:00 ~ 10:30	Coffee Break
Session 2 (Chair: Jiwen He)	
10:30 ~ 11:15	Ta-Tsien Li Fudan University, China Title: Mechanism of the formation of singularities for quasilinear hyperbolic systems
11:15 ~ 12:00	Zhangxin Chen University of Calgary and Southern Methodist University, Canada Title: Beyond CSS, SAGD, and VAPEX: Reservoir Modeling and Simulation for Heavy Oil and Oil Sands
12:00 ~ 14:00	Lunch
Session 3 (Chair: Lihe Wang)	
14:00 ~ 14:45	Kaitai Li Xi'an Jiaotong University, China Title: Boundary Shape Control of Navier-Stokes Equations and A Dimensional Splitting Method for 3D Navier-Stokes Equations
14:45 ~ 15:30	Ronald H.W. Hoppe University of Houston, U.S.A. Title: Convergence Analysis of an Adaptive Interior Penalty Discontinuous Galerkin Method
15:30 ~ 16:00	Coffee Break

July 9, 2008 (Wednesday)

Room: Main building B--103

Session 4 (Chair: Jacques Rappaz)	
16:00 ~ 16:45 Alexandre Caboussat University of Houston, U.S.A. Title: Numerical Solution of Non-Smooth Advection-Diffusion Problems Arising in Sand Mechanics	
17:05 ~ 17:25 Heyuan Wang Liaoning University of Technology, China Title: The Dynamical Behavior and the Numerical Simulation of a Five-Modes Lorenz System of the MHD Equations For a Two-Dimensional Incompressible Fluid on a Torus	
17:25 ~ 17:45 Kui Ren University of Chicago, U.S.A. Title: Transport equation for acoustic waves in discrete random media	

July 10, 2007 (Thursday)

Room: Main building B--103

Session 5 (Chair: Penger Tong)	
8:30 ~ 9:15 Jacques Rappaz Institute of Analysis and Scientific Computing, EPFL, Switzerland Title: Scientific computing for aluminum production	
9:15 ~ 10:00 Xiaobing Feng The University of Tennessee, U.S.A. Title: Numerical Methods for Semigeostrophic Flows: A Fully Nonlinear Approach	
10:00 ~ 10:30	Coffee Break
Session 6 (Chair: Ronald H.W. Hoppe)	
10:30 ~ 11:15 Jiwen He University of Houston, U.S.A. Title: Phase and Chemical Equilibrium Computation in Air Quality Modeling	

July 10, 2007 (Thursday)

Room: Main building B--103

11:15 ~ 12:00	<p>Ping Lin University of Dundee, Scotland, U.K. Title: Computational Methods for Molecule Orientations of Liquid Crystals and Liquid Crystal Flows</p>
12:00 ~ 14:00	Lunch
Session 7 (Chair: Ping Lin)	
14:00 ~ 14:45	<p>Penger Tong The Hong Kong University of Science & Technology, HongKong Title: Pattern Formation in a Rotating Suspension of non-Brownian particles</p>
14:45 ~ 15:05	<p>Zhiming Gao Xi'an Jiaotong Universtiy, China Title: Adjoint Methods for Shape Optimization for the Viscous Incompressible Flow</p>
15:05 ~ 15:25	<p>Xinfeng Liu University of California at Irvine, U.S.A. Title: Turbulent mixing with physical surface tension and mass diffusion</p>
15:25 ~ 15:55	Coffee Break
Session 8 (Chair: Alexandre Caboussat)	
15:55 ~ 16:40	<p>Monte Pettitt University of Houston, U.S.A. Title: Numerical Simulations of DNA Melting: Temperature vs mechanical strain</p>
16:40 ~ 17:25	<p>Shaochun Chen Zhengzhou University, China Title: Nonconforming Anisotropic Finite Elements</p>
17:25 ~ 17:45	<p>Lianwen Wang University of Central Missouri, Warrensburg Title: Approximate controllability of multiple delayed nonlinear control systems</p>

July 11, 2008 (Friday)

9:00 ~ 15:00	Tour Terra Cotta Army
19:00	Banquet(Celebration for Prof. Glowinski's 70th Birthday)

July 12, 2008 (Saturday)**Room: Main building B--103**

Session 9 (Chair: Roland Glowinski)	
8:30 ~ 9:15	Bjorn Engquist The University of Texas at Austin, U.S.A. Title: Heterogeneous multiscale methods
9:15 ~ 10:00	Philippe G. Ciarlet City University of Hong Kong, HongKong Title: New unknowns in elasticity problems
10:00 ~ 10:30	Coffee Break
Session 10 (Chair: Zhangxin Chen)	
10:30 ~ 11:15	William E. Fitzgibbon University of Houston, U.S.A. Title: Mathematical Models for the Spread of Infectious Disease Within Populations
11:15 ~ 11:35	Wenyuan Liao The University of Calgary, Canada Title: An implicit fourth-order finite difference scheme for solving Burgers' equation
11:35 ~ 11:55	Zhian Wang University of Minnesota, U.S.A. Title: Fast diffusion can prevent blow up in chemotaxis
12: 00-14: 00	Lunch

July 12, 2008 (Saturday)

Room: Main building B--103

Session 11 (Chair: Xiaobing Feng)	
14:00-14:45 Lihe Wang University of Iowa, U.S.A. Title: An inverse problem from geology	
14:45 ~ 15:05 Lizhou Wang Xi'an Jiaotong University, China Title: On a nonlinear functional equation	
15:05 ~ 15:25 Dongyang Shi Zhengzhou University, China Title: A New Lowest Order Nonconforming Mixed Finite Element Method For Second Order Elliptic Problems	
15:25 ~ 15:55	Coffee Break
Session 12 (Chair: Dongyang Shi)	
15:55 ~ 16:15 Jiang Zhu National Laboratory for Scientific Computing, LNCC/MCT, Brazil Title: A thermally coupled quasi-Newtonian flow	
15:15 ~ 16:35 Xuejun Xu Chinese Academy of Science, China Title: Rigorous Spectral Analysis of Optimized Schwarz Methods with Robin Transmission Conditions	
16:35 ~ 16:55 Wenjing Yan Xi'an Jiaotong University, China Title: The application of domain derivative of the Navier-Stokes equations in shape reconstruction	
16:55 ~ 17:15 Yongjiang Yu Shanghai Jiaotong University, China Title: Global Existence of Solution and Asymptotic Analysis for MHD Equations On Thin Domains	

Titles and Abstracts

content

1. Alexandre Caboussat
Numerical Solution of Non-Smooth Advection-Diffusion Problems Arising in Sand Mechanics (Page 11)
2. Shaochun Chen
Nonconforming Anisotropic Finite Elements(Page 11)
3. Zhangxin Chen
Beyond CSS, SAGD, and VAPEX: Reservoir Modeling and Simulation for Heavy Oil and Oil Sands(Page 12)
4. Philippe G. Ciarlet
New unknowns in elasticity problems(Page 12)
5. Bjorn Engquist
Heterogeneous multiscale methods(Page 12)
6. Xiaobing Feng
Numerical Methods for Semigeostrophic Flows: A Fully Nonlinear Approach(Page 13)
7. William E. Fitzgibbon
Mathematical Models for the Spread of Infectious Disease Within Populations(Page 13)
8. Zhiming Gao
Adjoint Methods for Shape Optimization for the Viscous Incompressible Flow(Page 13)
9. Roland Glowinski
Computation of the best constant in some Strauss-Nirenberg inequalities(Page 14)
10. Jiwen He
Phase and Chemical Equilibrium Computation in Air Quality Modeling(Page 14)
11. Ronald H.W. Hoppe
Convergence Analysis of an Adaptive Interior Penalty Discontinuous Galerkin Method (Page 14)
12. Lizhou Wang
On a Nonlinear Functional Equation(Page 15)
13. Ta-Tsien Li
Mechanism of the formation of singularities for quasilinear hyperbolic systems(Page 15)
14. Kaitai Li
Boundary Shape Control of Navier-Stokes Equations and A Dimensional Splitting Method for 3D Navier-Stokes Equations(Page 15)
15. Wenyuan Liao
An implicit fourth-order compact finite difference scheme for one-dimensional Burgers' equation(Page 16)
16. Ping Lin
Computational Methods for Molecule Orientations of Liquid Crystals and Liquid Crystal Flows(Page 16)
17. Xinfeng Liu
Turbulent mixing with physical surface tension and mass diffusion(Page 16)
18. Monte Pettitt
Numerical Simulations of DNA Melting: Temperature vs mechanical strain(Page 17)
19. Jacques Rappaz
Scientific computing for aluminum production(Page 17)
20. Kui Ren
Transport equation for acoustic waves in Discrete Random Media(Page 19)
21. Dongyang Shi
A New Lowest Order Nonconforming Mixed Finite Element Method For Second Order Elliptic Problems(Page 19)

22. Penger Tong
Pattern Formation in a Rotating Suspension of non-Brownian particles(Page 20)
23. Heyuan Wang
The Dynamical Behavior and the Numerical Simulation of a Five-Modes Lorenz System of the MHD Equations For a Two-Dimensional Incompressible Fluid on a Torus(Page 20)
24. Lihe Wang
An inverse problem from geology(Page 21)
25. Lianwen Wang
Approximate controllability of multiple delayed nonlinear control systems(Page 21)
26. Zhian Wang
Fast diffusion can prevent blow up in chemotaxis(Page 21)
27. Xuejun Xu
Rigorous Spectral Analysis of Optimized Schwarz Methods with Robin Transmission Conditions(Page 21)
28. Wenjing Yan
The application of domain derivative of the Navier-Stokes equations in shape reconstruction(Page 22)
29. Yongjiang Yu
Global Existence of Solution and Asymptotic Analysis for MHD Equations On Thin Domains(Page 22) Jiang Zhu
A thermally coupled quasi-Newtonian flow(Page 22)

Numerical Solution of Non-Smooth Advection-Diffusion Problems Arising in Sand Mechanics

Alexandre Caboussat
Department of Mathematics, University of Houston, U.S.A.

Abstract

We present a simple model for the simulation of deposition processes in sand mechanics, including formation of sand piles on non-flat surfaces and sediment deposition in riverbeds. The sand height is modeled by a time-dependent advection-diffusion equation involving a fast/slow non-smooth diffusion operator. The diffusion operator contains a point-wise inequality constraint on the gradient of the solution that models the internal friction in the sand. It is reminiscent of the infinite Laplacian operator.

We present a splitting algorithm to decouple the advection operator from the non-smooth diffusion operator. The advection operator is treated with a stabilized (SUPG) finite element method. Piecewise linear finite elements are used for the discretization in space. We introduce an augmented Lagrangian method for the approximation of the fast/slow non-smooth diffusion operator. The inequality constraints on the solution and its gradient are treated by a projection method and a penalization approach, together with a local Newton method.

Numerical results are presented for the simulation of the deposition of sand piles on flat and non-flat surfaces, and for the deposition of sediment on riverbeds. Extensions to water deposition on non-flat profiles is presented.

Nonconforming Anisotropic Finite Elements

Shaochun Chen
Zhengzhou University, Henan, China

Abstract

In this talk we present some nonconforming anisotropic finite elements which are convergent for any anisotropic meshes, i.e., the meshes can be any narrow and are not needed to satisfy the regular or non-degenerate condition.

The error of nonconforming finite elements includes interpolation error and consistence error. For the interpolation error we present a simple method to check the anisotropic interpolation condition. The analysis of consistence error of nonconforming elements is a problem, we present some methods to deal with it. We also presented some superconvergence results of the nonconforming elements on the anisotropic meshes.

The nonconforming anisotropic finite elements presented here include Wilson's element, Quasi-Wilson's element, Double Set Parameter rotated Q1 element for problems of order two; Morley's element, ACM element for problems of order four, etc.

Beyond CSS, SAGD, and VAPEX: Reservoir Modeling and Simulation for Heavy Oil and Oil Sands

Zhangxin Chen

University of Calgary and Southern Methodist University

Abstract

Heavy oil and oil sands are important hydrocarbon resources that are destined to play an increasingly critical role in the oil supply of the entire world. The oil sands in Alberta contain two (2) trillion barrels of oil. The important question is: How much of this oil is recoverable and what methods can be used? In this presentation, the speaker will present some of the recovery methods for heavy oil and oil sands: CSS (cyclic steam stimulation), SAGD (steam assisted gravity drainage), and VAPEX (vapor extraction). The differences between these methods and conventional recovery methods will be emphasized, and some open challenging problems in heavy oil and oil sands reservoir modeling and simulation will be discussed.

New unknowns in elasticity problems

Philippe G. Ciarlet

City University of Hong Kong, Hong Kong, China

Abstract

In the classical approach to elasticity problems, the components of the displacement field are the primary unknowns. In an "intrinsic" approach, new unknowns with a more "intrinsic", i.e. with more "mechanical" or "geometrical" meanings, such as a strain tensor field or a rotation field for instance, are instead taken as the primary unknowns. We survey here recent progress about the mathematical and numerical analysis of such methods.

Heterogeneous multiscale methods

Bjorn Engquist

Department of Mathematics, The University of Texas at Austin

Abstract

Continuum simulations of solids or fluids for which some atomistic information is needed are typical example of multi-scale problems with very large ranges of scales. For such problems it is necessary to restrict the simulations on the micro-scale to a smaller subset of the full computational domain. The heterogeneous multi-scale method is a framework for developing and analyzing numerical methods that couple computations from very different scales. Local micro-scale simulations on small domains supply missing data to a macro-scale simulation on the full domain. Examples are local molecular dynamics computations that produce data to a continuum macro-scale model, or a highly oscillatory dynamical system for which a local estimate of resonances is enough to supply data for a smoother evolution of averages.

Numerical Methods for Semigeostrophic Flows: A Fully Nonlinear Approach

Xiaobing Feng

Department of Mathematics, The University of Tennessee, U.S.A.

Abstract

Semigeostrophic flow equations, which model slowly varying flows constrained by rotation and stratification in meteorology and oceanography, are obtained by substituting the geostrophic balance relation into the Boussinesq form of the Euler equations for rotating stratified fluids. Based on a fully nonlinear reformulation of the semigeostrophic flow equations due to Benamou and Brenier (1998), we proposed a modified characteristic finite element method for computing the solution of the reformulated model. Our main idea is to use the vanishing moment method, which was recently developed by the author and collaborators, to handle the fully nonlinear Monge-Ampère type equation in the model. It is proved that the proposed modified characteristic finite element method enjoys optimal rate of convergence and error bounds. Numerical experiments will also be presented to illustrate the performance of the numerical methods.

This talk is prepared based on joint works with Michael Neilan of the University of Tennessee, U.S.A.

Mathematical Models for the Spread of Infectious Disease Within Populations

William E. Fitzgibbon

Department of Engineering Technology, College of Technology,
University of Houston, Houston, Texas, U.S.A.

Abstract

In an effort to describe the mathematical modeling of the spread of infectious disease through animal population we focus upon Feline Panleucopenia Virus (FLPV). FLPV is a member of the parvoviridae family that infects all Felidae (cats) and other carnivore species as well. We begin with a discussion of the underlying population dynamics and then discuss four different mathematical models of varying degrees of complexity for the circulation of FLPV. Our discussion will include both the age structure and the spatial dispersion of the populations.

Adjoint Methods for Shape Optimization for the Viscous Incompressible Flow

Zhiming Gao

College of Science, Xi'an Jiaotong University, Xi'an, China

Abstract

This paper considers adjoint method for the optimal shape design of a body subjected to the minimum viscous dissipated energy in Navier–Stokes flows. The discretization of Navier–Stokes equations is accomplished by using standard Galerkin method and a new stabilized finite element method which utilizes a pair of spaces of finite element P1,P1 over triangles. The new method does not require selection of mesh-dependent stabilization parameters and has simple and straightforward implementations. We compute the Eulerian derivative of the cost functional by using theorems on the differentiability of a minimax and function space parameterization technique. We prove the effectiveness of the proposed gradient type algorithm with mesh adaptation and mesh movement strategies and compared the results for different Reynolds numbers with various finite element pairs.

Computation of the best constant in some Strauss-Nirenberg inequalities

Roland Glowinski
Department of Mathematics, University of Houston, U.S.A.

Abstract

Some inequalities due to Strauss and Nirenberg play a very important role in mathematical viscoplasticity. Since they have also practical implications the main goal of this presentation is to discuss the computation of the best constants involved in these inequalities. This leads to the solution of non-smooth eigenvalue problems. To solve these highly nonlinear problems we will combine finite element approximations with augmented Lagrangian based iterative methods. The numerical results not only justify the methodology which has been employed but they also suggest some conjectures of mathematical interest. This is joint work with Alexandre Caboussat.

Phase and Chemical Equilibrium Computation in Air Quality Modeling

Jiwen He
Department of Mathematics, University of Houston, Houston, Texas, U.S.A.

Abstract

The ability to model atmospheric processes involving trace gases and aerosols is crucial in predicting effects of changing anthropogenic emissions on urban and regional air pollution, global atmospheric chemistry, and global climate. Because of the wide variety of physical and chemical processes influencing aerosols, mathematical models of atmospheric aerosol dynamics are significantly more complex than those describing atmospheric trace gas behavior. In this talk, we focus on phase and chemical equilibrium problems related to mathematical modeling of physical states and chemical compositions of atmospheric aerosols. We analyze a class of thermodynamic modules for phase and chemical equilibrium computation that are based on primal-dual active-set/interior-point optimization methods. We conclude with numerical experiments showing that the proposed methods are efficient, computationally suitable for their incorporation into three dimensional air quality models.

Convergence Analysis of an Adaptive Interior Penalty Discontinuous Galerkin Method

Ronald H.W. Hoppe
Department of Mathematics, University of Houston, U.S.A.

Abstract

We are concerned with a convergence analysis of an adaptive symmetric Interior Penalty Discontinuous Galerkin (IPDG) method for second order elliptic boundary value problems. Based on a residual-type a posteriori error estimator, we prove that after each refinement step of the adaptive scheme we achieve a guaranteed reduction of the global discretization error in a mesh dependent energy norm associated with the IPDG method. In contrast to recent work on adaptive IPDG methods, the convergence analysis does not require multiple interior nodes for refined elements of the triangulation and thus leads to a more efficient adaptive scheme. In fact, it will be shown that bisection of elements is sufficient. The main ingredients of the proof of the error reduction property are the reliability and a perturbed discrete local efficiency of the estimator, a bulk criterion that takes care of a proper selection of edges and elements for refinement, and a perturbed Galerkin orthogonality property with respect to the energy inner product. A documentation of numerical experiments is given to illustrate the performance of the adaptive method.

The results are based on joint work with Guido Kanschat (Department of Mathematics, Texas A&M University, College Station) and Tim Warburton (Computational and Applied Mathematics (CAAM), Rice University, Houston).

On a Nonlinear Functional Equation

Lizhou Wang
School of Science, Xi'an Jiaotong University, Xi'an, China

Abstract

We prove that the nonlinear functional equation

$$u(x) = \frac{1}{2} \left(\sup_{D(x)} u + \inf_{D(x)} u \right) + r^2(x)f(x)$$

has a unique solution $u \in C(\bar{\Omega})$, where $D(x) = \bar{B}_{r(x)}(x)$, $0 < r(x) < d(x, \partial\Omega)$ and $f \geq 0$. We also present a comparison result for this equation.

Mechanism of the formation of singularities for quasilinear hyperbolic systems

Ta-Tsien Li
School of Mathematical Sciences, Fudan University, Shanghai, China

Abstract

In this survey talk the mechanism and the character of the formation of singularities caused by eigenvalues or (and) eigenvectors, respectively, will be discussed for 1-D quasilinear hyperbolic systems.

Boundary Shape Control of Navier-Stokes Equations and A Dimensional Splitting Method for 3D Navier-Stokes Equations

Kaitai Li
Xi'an Jiaotong University, Xi'an, China

Abstract

In this talk, a Geometrical Design Method for Blade's surface \mathfrak{S} in the impeller is provided here \mathfrak{S} is a solution to a coupling system consisting of the well-known Navier-Stokes equations and a four order elliptic boundary value problem. The coupling system is used to describe the relations between solutions of Navier-Stokes equations and the geometry of the domain occupied by fluids, and also provides new theory and methods for optimal geometric design of the boundary of domain mentioned above. This coupling system is the Euler-Lagrange equations of the optimal control problem which is describing a new principle of the geometric design for the blade's surface of an impeller. The control variable is the surface of the blade and the state equations are Navier-Stokes equations with mixed boundary conditions in the channel between two blades. The objective functional depending on the geometry shape of blade's surface describes the dissipation energy of the flow and the power of the impeller. First we prove the existence of a solution of the optimal control problem. Then we use a special coordinate system of the Navier-Stokes equations to derive the objective functional which depends on the surface Θ explicitly. We also show the weakly continuity of the solution of the Navier-Stokes equations with respect to the geometry shape of the blade's surface.

On the dimensional splitting method, 3D-flow domain is decomposed into a series of thin stream flow layers by a series of 2D-manifolds(surface) using classical tensor analysis method. Applied Euler backward difference scheme along normal direction to manifold, the compressible Navier-Stokes equations on the 2D-manifold are derived. According to this idea, a dimensional split method is proposed. This method is different from the classical domain decomposition method, in which one must result a 3D problem into each subdomain, but in our method we only solve a 2D-subproblem on 2D manifold, which is a quasi-Navier-Stokes equations on 2D manifold. In addition, the paper provides several numerical examples for turbomachinery flow.

An implicit fourth-order compact finite difference scheme for one-dimensional Burgers' equation

Wenyuan Liao
University of Calgary, Canada

Abstract

A fourth-order compact finite difference method is developed to solve one-dimensional Burgers' equation. The new method is based on the Hopf-Cole transformation, which transforms the original nonlinear Burgers' equation into a linear heat equation, which is solved by an implicit fourth-order compact finite difference scheme. Compact fourth-order formula is also developed to approximate the Robin boundary conditions, while the initial condition for the heat equation is approximated by Simpson's rule. Several numerical examples are given to demonstrate the efficiency and accuracy of this method.

Computational Methods for Molecule Orientations of Liquid Crystals and Liquid Crystal Flows

Ping Lin
Division of Mathematics, University of Dundee, Scotland, UK

Abstract

The liquid crystal molecule orientation is arranged by minimizing so-called Oseen-Frank energy functional. The energy is nonconvex due to the unit-length constraint of liquid crystal molecules and the constraint may be treated by the penalty method. The operator-splitting is efficient to deal with the penalty term. The liquid crystal flow is a coupling between a director field (molecule orientation) of liquid crystals and a flow field. The model is also related to phase field models in computing multiphase flows and a simple case of complex fluids. It is crucial to preserve the energy law of the system in numerical simulation, especially when orientation singularities are involved. We present a discrete energy law preserving C0 finite element method. It is of second order and matrix free in time. A number of liquid crystal flow examples (including small and large molecule cases) are computed to demonstrate the algorithm. We may also mention the application of the method to phase-field models of multi-phase flows and superconductivity models.

Turbulent mixing with physical surface tension and mass diffusion

Xinfeng Liu
University of California at Irvine, U.S.A.

Abstract

In this talk, I will introduce the local grid based front tracking method, which uses Lagrangian propagation and redistribution, but applies Eulerian reconstruction for the bifurcation of topology. A fully Lagrangian method is used to propagate the interface to obtain an accurate solution of

the interface position, and Eulerian reconstruction of the interface is only used in small regions where topological bifurcation is detected. This improved algorithm is shown extremely successful by simulation of turbulent mixing, such as the acceleration driven Rayleigh-Taylor instability, and among other complicated problems. I will also introduce a novel subgrid model to allow small but strictly positive amounts of numerical mass diffusion, and apply this model to Rayleigh-Taylor mixing with excellent agreement to experiment. In addition, I will also compare related physical systems, with similar agreement to experiment.

Numerical Simulations of DNA Melting: Temperature vs mechanical strain

Monte Pettitt

Department of Chemistry, University of Houston, U.S.A.

Abstract

The polyelectrolyte nature of DNA greatly complicates the reaction coordinates for both association and melting. Here we consider mechanism of the melting of DNA. To study the melting transition of DNA, we performed a few molecular dynamics simulations of a homogeneous 12-basepair DNA d(A12)d(T12) with explicit water and ions at 400 K. The trajectories were analyzed with principal component analysis and revealed various processes which occurred on different time scales. A multistep mechanism is proposed where the untwisting of the duplex coupled with the breakup of the ion atmosphere is determined to be the rate-determining step of the melting process. To complement this study, DNA in twisted states of linking number from +10 to -10 were studied. The mechanical strain is intimately coupled to the ionic distributions which determines the relaxation mechanism.

Scientific computing for aluminum production

Jacques Rappaz

Institute of Analysis and Scientific Computing, EPFL, Switzerland

Abstract

The manufacturing process in the industry for aluminum production is to inject alumina Al_2O_3 in an electrolytic cell in order to obtain the chemical reaction: $2Al_2O_3 + \text{electric energy} \rightarrow 4Al + 3O_2$. The oxygen is burnt up by anodes: $C + O_2 \rightarrow CO_2$ and the aluminum is collected at the cathodic bloc at the bottom of the cell. Two liquids are present in a cell. At the top, close to the anodes, there is the electrolytic bath in which the chemical reaction occurs. In the bath the dissolution of particles of alumina as well as the convection-diffusion of the dissolved alumina has to be considered. At the bottom of the cell, the liquid aluminum is deposited on the cathodic bloc. The temperature gradient in the cell leads to the formation of solid ledges on its walls.

A very strong electric current density \vec{j} flows through conductors into the hall which contains about a hundred electrolytic cells ($\sim 6000 A/m^2$ in a cell). This current produces a strong magnetic induction field \vec{B} ($\sim 1000 Gauss$) which is absorbed in part by a steel shell supporting the device. It is important to consider the ferromagnetic screen effects when we want to know the magnetic induction field \vec{B}_i inside the cell. This field, combined to the internal current density \vec{j}_i give rise to Lorentz forces $\vec{j}_i \wedge \vec{B}_i$ which are responsible of hydro- dynamic effects leading to a velocity field of the fluids which can reach 0.5m/s. The knowledge of the motion and the stability of the bath-aluminum interface is very important for obtaining a good working of the cell. Among the different approaches found in the literature in order to study this phenomenon, let us mention Fourier analysis of linear models (see for instance [1]), linear stability of MHD stationary solutions (see for instance [2],[3]), or numerical modeling of the dynamic MHD equations (see [4] and its references).

In this talk we present a numerical modeling in order to compute the current density \vec{j}_i , the magnetic induction field \vec{B}_i with the screen effects of the steel shell, the motion of the fluids u and its interface. The dissolution of alumina and its distribution in the cell are considered as well as the thermal effects.

To do this, we numerically solve a system of coupled partial differential equations:

- An elliptic equation for the potential V to obtain the current $\vec{j}_i = \sigma \left(-\vec{\nabla}V + \vec{u} \wedge \vec{B}_i \right)$ which flows through the cell, where σ is the electric conductivity of the fluids,
- Maxwell equations to obtain \vec{B} from the current density \vec{j} and the equations modeling the magnetization effects of the steel shell,
- Incompressible Navier-Stokes equations with free surface to obtain the pressure p and the velocity \vec{u} from the gravity forces $\rho \vec{g}$ and the electric forces $\vec{j}_i \wedge \vec{B}_i$,
- A kinetic transport equation to describe the dissolution of alumina particles and a convection-diffusion equation to obtain the distribution of liquid alumina,
- Heat equation with phase change (temperature and enthalpy) for the computation of the solid ledges which are formed on the wall of the cell.

All these equations are numerically solved with finite elements methods in space and splitting methods in time. The magnetic induction field and the magnetization of the steel shell are obtained from a domain decomposition method (see [6] and [5]). The free interface between liquid aluminum and the electrolytic bath is obtained from a level set technique coupled to a stabilized finite element method for solving Navier-Stokes equations (see [7]). The transport equation for the particles of alumina is solved by a characteristic method coupled to a streamline upwind technique for the convection-diffusion of dissolved alumina (see[8]). Finally the heat equation is solved with a Chernoff scheme which allows to obtain the enthalpy and the solid fraction of the bath (see [9]).

References

- [1] R. Moreau, D. Ziegler: Stability of aluminum cells, a new approach, *Light Metals*, 1986, 359-364.
- [2] J. Descloux, M. Flueck, M. V. Romerio: Spectral aspects of an industrial problem. In *Spectral analysis of complex structures*. Hermann diteurs des sciences et des arts, Paris, 1995, 17-33.
- [3] J. Descloux, M. Flueck, M. V. Romerio: A modelling of the stability of aluminum electrolysis cells. In *Nonlinear partial differential equations and their applications*. Collège de France Seminars, Vol XIII. D. Cioranescu and J.L. Lions editors, Pitman Research Notes in Mathematics Series 391. Addison Wesley Longman 1998, 117-133.
- [4] J.-F. Gerbeau, C. Le Bris, T. Lelièvre: *Mathematical methods for the magnetohydrodynamics of liquid metals*. Numerical Mathematics and Scientific Computation Series. Oxford Science Publications 2006.
- [5] J. Rappaz, G. Steiner: On a domain decomposition method for numerically solving a magnetic induction problem. Scientific report in *Analysis and Numerical Analysis*, EPFL. To appear.
- [6] M. Flueck, T. Hofer, A. Janka, J. Rappaz: Numerical methods for ferromagnetic plates. Scientific report Nr.08.2007, Institut d'Analyse et Calcul Scientifique EPFL 2007 and to appear in *ECCOMAS Springer Series*.
- [7] M. Flueck, A. Janka, C. Laurent, M. Picasso, J. Rappaz, G. Steiner: Some mathematical and numerical aspects in aluminum production. *Proceedings of INSF2007, Journal of Scientific Computing*, Springer Verlag. To appear.
- [8] Th. Hofer: Scientific report in *Analysis and Numerical Analysis*, EPFL. In preparation.
- [9] M. Flueck, J. Rappaz, and Y. Safa: Numerical simulation of thermal problems coupled with magnetohydrodynamic effects in aluminium cell. Accepted in *Appl. Math. Modelling*, to appear in 2008.

Transport equation for acoustic waves in Discrete Random Media

Kui Ren
University of Chicago, U.S.A.

Abstract

In this talk, we generalize well-established derivations of the radiative transport equation from first principles to model the energy density of time-dependent and monochromatic high frequency waves propagating in a random medium composed of localized scatterers. To do so, we assume that correlation length of the random scatterers is small compared to the overall distance of propagation so that ensemble averaging may take place. The correlation length may be either comparable to the typical wavelength in the system (the weak-coupling regime) or larger than the wavelength (the low-density regime). We will also mention briefly the application of the derived transport equation to imaging in random media. This is a joint work with Guillaume Bal at Columbia University.

A New Lowest Order Nonconforming Mixed Finite Element Method For Second Order Elliptic Problems

Dongyang Shi
Zhengzhou University, Henan, China

Abstract

Consider the following second order elliptic problem

$$(1) \quad \begin{cases} -\operatorname{div}(\beta \nabla u) = f, & x \in \Omega, \\ u = 0, & x \in \partial\Omega, \end{cases}$$

where $f \in L^2(\Omega)$ is a given function and $\beta \in L^\infty(\Omega)$ is assumed to be uniformly positive and bounded:

$$0 < a_1 \leq \beta \leq a_2, \quad x \in \Omega.$$

Let $p = \beta \nabla u$, the problem (1) can be rewritten as

$$(2) \quad \begin{cases} p - \beta \nabla u = 0, & x \in \Omega, \\ \operatorname{div} p = -f, & x \in \Omega, \\ u = 0, & x \in \partial\Omega. \end{cases}$$

Then the mixed variational formulation of (2) is to find $(p, u) \in H \times M$, such that

$$(3) \quad \begin{cases} a(p, v) + b(v, u) = 0, & \forall v \in H, \\ b(p, q) = -f(q), & \forall q \in M, \end{cases}$$

where

$$H = H(\operatorname{div}; \Omega) = \{v \in (L^2(\Omega))^2, \operatorname{div} v \in L^2(\Omega)\}, \quad M = L^2(\Omega),$$

$$a(p, v) = (\beta^{-1} p, v), \quad b(v, q) = (\operatorname{div} v, q), \quad \forall v \in H, \quad \forall q \in M,$$

and (\cdot, \cdot) is the inner product of $L^2(\Omega)$ or $(L^2(\Omega))^2$.

The main aim of this talk is to present a new lowest order mixed nonconforming finite element scheme for (3). Based on some very distinct properties of the element discovered and novel approaches the optimal order error estimates are derived under the lowest requisition of the exact solution, which simplify the proof and improve the results of the previous literature. Numerical results are also given to verify our theoretical analysis.

This work is joint with Caixia Wang and supported by NSF of China (No.10671184).

Pattern Formation in a Rotating Suspension of non-Brownian particles

Penger Tong

Department of Physics, Hong Kong University of Science and Technology

Abstract

Non-equilibrium systems often organize themselves into interesting spatio-temporal structures or patterns. Examples include the patterns formed in bulk flow systems of pure fluids, in coating flows with a free surface, and in externally excited granular flows. In this talk, I will discuss a different class of flow systems of non-Brownian particles suspended in a Newtonian fluid. This system fills the gap between the two limiting cases of simple fluid flows and granular flows. Although single particle motion is known with high precision, the collective behavior of the particles often shows interesting but unexpected features. I will report our recent experimental studies of band and other pattern formation for settling and buoyant suspensions of uniform non-Brownian particles in a completely filled horizontal rotating cylinder [1-3]. These systems show a series of sharp pattern changes that are mapped out as a function of the rotation rate and fluid viscosity. The experiment suggests that the large number of patterns and rich dynamics found in the rotating cylinder result from the interplay among the viscous drag, gravitational and centrifugal forces.

★ This work was done in collaboration with W. R. Matson and B. J. Ackerson, and was supported in part by the Research Grants Council of Hong Kong SAR.

Reference

[1] Concentration and velocity patterns in a horizontal rotating suspension of non-Brownian settling particles, W. R. Matson, M. Kalyankar, B. J. Ackerson, and P. Tong, Phys. Rev. E, 71, 031401 (2005).

[2] Dynamics of rotating suspensions, W. R. Matson, B. J. Ackerson, and P. Tong, Solid State Communications 139, 605 (2006).

[3] Measured Scaling Properties of the Transition Boundaries in a Rotating Suspension of Non-Brownian Settling Particles, W. R. Matson, B. J. Ackerson, and P. Tong, J. Fluid Mech. 597, 233 (2008).

The Dynamical Behavior and the Numerical Simulation of a Five-Modes Lorenz System of the MHD Equations For a Two-Dimensional Incompressible Fluid on a Torus

Heyuan Wang

Department of Mathematics and Physics,
Liaoning University of Technology, Jinzhou, China

Abstract

A model obtained by a five-mode truncation of the magnetic hydrodynamic (MHD) equations for a two-dimensional incompressible fluid on a torus $T^2 = [0, 2\pi] \times [0, 2\pi]$ is studied. First, we derive a model system by taking five modes in the Fourier expansion, and then discuss the stability of stationary points of the five-modes system. Second, we find phenomena of Hopf bifurcation and chaos, and prove the existence of its attractor. Finally, we present a detailed numerical result of the whole process from bifurcation to chaos.

An inverse problem from geology

Lihe Wang

Department of Mathematics University of Iowa, U.S.A.

Abstract

We will discuss a new numerical program about an inverse problem of geology. The first part of the problem is to find a reasonable boundary between different types of regions from the limited number of test sites. Then an effective numerical method is discussed for equation with sharp jumps.

Approximate controllability of multiple delayed nonlinear control systems

Lianwen Wang

Department of Mathematics and Computer Science, University of Central Missouri

Abstract

In this talk the approximate controllability for a class of control systems governed by semilinear multiple delayed integrodifferential equations. Some sufficient conditions for approximate controllability are established by using Schauder fixed point theorem. Several examples are given to illustrate the application of the obtained approximate controllability result.

Fast diffusion can prevent blow up in chemotaxis

Zhian Wang

Institute for Mathematics and its Applications, University of Minnesota

Abstract

Chemotaxis, the directed migration of cells in response to external chemical cues, is a fundamental cellular process and essential for development, tissue homeostasis, wound healing, immune response and progression of many diseases such as angiogenesis. Keller-Segel model is the well-known mathematical model describing chemotaxis. However this model demonstrates the blow up behavior of solutions which are irrelevant to reality in nature. In my talk, I will propose a mechanism, i.e., fast diffusion, to regularize the classical Keller-Segel model to allow global existence of solutions. The resulting model still demonstrates the aggregation patterns that chemotaxis model intrinsically has. Analytical results and numerical simulation will be shown. This is recent joint work with Y.S Choi from the University of Connecticut.

Rigorous Spectral Analysis of Optimized Schwarz Methods with Robin Transmission Conditions

Xuejun Xu

LSEC, Institute of Computational Mathematics Chinese Academy of Sciences, Beijing, China

Abstract

In this talk, the tight relationship between Dirichlet-Neumann (D-N) operators and optimized Schwarz methods with Robin transmission conditions is discussed. We describe the spectral distribution of continuous D-N operators and give a rigorous spectral analysis of discrete D-N operators. By these results, we prove that optimized Schwarz methods with Robin transmission conditions cannot converge geometrically in the case of continuous problems. Furthermore, we get the accurate convergence rate of the two subdomains case. In addition, an estimation of convergence rate of optimized Schwarz methods with Robin transmission conditions is presented in the general case. Most of our results cannot be improved any more.

The application of domain derivative of the Navier-Stokes equations in shape reconstruction

Wenjing Yan

College of Science, Xi'an Jiaotong University, Xi'an, China

Abstract

This paper is concerned with the shape reconstruction of the newtonian viscous incompressible fluids driven by the stationary Navier–Stokes equations. By formulating the domain derivative of the nonhomogeneous Navier-Stokes equations and applying a regularized Gauss-Newton iterative algorithm , the numerical examples are given for recovering the shape. The results show that our theory is useful for practical purpose and the proposed algorithm is feasible.

Global Existence of Solution and Asymptotic Analysis for MHD Equations On Thin Domains

Yongjiang Yu

Department of Mathematics, Shanghai Jiaotong University, Shanghai, China

Abstract

Magnetohydrodynamic(MHD) equations with Dirichlet or mixed Dirichlet-periodic boundary conditions on three-dimensional thin domains are considered. The global existence in time of the strong solutions of MHD equations for large initial data and force is obtained. Furthermore, the asymptotic analysis of MHD equations on thin domains is given when the thickness of the domains is small.

A thermally coupled quasi-Newtonian flow

Jiang Zhu

National Laboratory for Scientific Computing, LNCC/MCT, Brazil

Abstract

In this paper, we consider an incompressible quasi-Newtonian flow with a temperature dependent viscosity obeying a power law, and the thermal balance includes viscous heating. Some mathematical results such as existence and uniqueness are established, finite element approximation is proposed, and convergence analysis is presented.

Participants

Professor John Bear
Natural Sciences & Mathematics
University of Houston
214 Science and Research Building 1
Houston, TX 77204-5008
Telephone: 713-743-3755, Fax: 713-743-8630
Home page: <http://www.nsm.uh.edu/nsm>
E-mail: anle@uh.edu

Professor Alexandre Caboussat
Department of Mathematics
University of Houston
4800 Calhoun Rd
Houston, Texas 77204 - 3008
Office: P. G. Hoffman (PGH) 662, Phone : +1 (713) 743-3491
Home page: <http://math.uh.edu/~caboussat/>
E-mail: caboussat@math.uh.edu

Professor Zhangxin Chen
NSERC/AERI/Foundation CMG Chair Professor
University of Calgary and Southern Methodist University
Homepage: <http://faculty.smu.edu/zchen/>
or <http://www.ucalgary.ca/ench/JohnChen>
E-mail: zhachen@ucalgary.ca

Professor Shaochun Chen(陈绍春)
Department of Mathematics
Zhengzhou University
Zhengzhou, 450052, China
E-mail: shchchen@zzu.edu.cn

Professor Philippe G. Ciarlet
Chair Professor, Department of Mathematics
City University of Hong Kong
Kowloon, HONG KONG
Phone: (852) 2194-2175
Home page: <http://www6.cityu.edu.hk/ma/people/ciarlet/ciarlet.html>
E-mai: MAPGC@cityu.edu.hk

Professor Bjorn Engquist
Department of Mathematics
The University of Texas at Austin
1 University Station C1200, Austin, TX 78712-0257, U.S.A.
Tel: 512-471-7163
Homepage: <http://www.ma.utexas.edu/text/webpages/engquist.html>
Email: engquist@ices.utexas.edu

Professor Xiaobing Feng
Department of Mathematics
The University of Tennessee
Knoxville, TN 37996, U.S.A.
(865) 974-4287 (Office), (865) 974-6576 (Fax)
Home page: <http://www.math.utk.edu/~xfeng/>
E-mai: xfeng@math.utk.edu

Professor William E. Fitzgibbon
Dean
College of Technology
University of Houston
Houston, TX 77204-4021, U.S.A.
Homepage: <http://www.tech.uh.edu/People/Faculty/CV/fitz.htm>
E-mail: fitz@uh.edu

Professor Roland Glowinski
Department of Mathematics
University of Houston
Houston, Texas 77204-3008, U.S.A.
Tel: 713-743-3473, Fax: 713-743-3505
Home page: <http://www.math.uh.edu/~roland/>
E-mail: roland@math.uh.edu

Professor Jiwen He
Department of Mathematics, 651 PGH
University of Houston
Houston, Texas 77204-3008, U.S.A.
Homepage: <http://www.math.uh.edu/~jiwenhe/>
E-mail: jiwenhe@math.uh.edu

Professor Ronald H.W. Hoppe
Department of Mathematics
University of Houston
Houston, TX 77204-3008, U.S.A.
Homepage: <http://www.math.uh.edu/~rohop/>
E-mail: rohop@math.uh.edu

Professor Yanren Hou (侯延仁)
Department of Mathematics
Xi'an Jiaotong University, Xi'an, China
E-mail: yrhou@mail.xjtu.edu.cn

Professor Ta-Tsien Li
School of Mathematical Sciences
Fudan University
Shanghai, China
Homepage: <http://math.fudan.edu.cn/homepage/LiDaqian/>
E-mail: dqli@fudan.edu.cn

Professor Kaitai Li
Department of Mathematics
Xi'an Jiaotong University
Xi'an, 710049, China
Tel: 0086-29-82669051, Fax:0086-29-82669051
Email: ktli@mail.xjtu.edu.cn

Dr. Wenyuan Liao
Assistant Professor
Department of Mathematics and Statistics
The University of Calgary
Calgary, Alberta, Canada
Tel: (403)220-3946
Homepage: <http://math.ucalgary.ca/~wliao/>
E-mail: wliao@math.ucalgary.ca

Professor Ping Lin
Division of Mathematics
University of Dundee
E-mail: plin@maths.dundee.ac.uk

Dr. Xinfeng Liu
Visiting Assistant Professor
Department of Mathematics
University of California at Irvine, U.S.A.
Tel: 949-231-9318 (Home), 949-824-3217 (Office)
Homepage: <http://math.uci.edu/~xliu1/>
E-mail: xliu1@math.uci.edu

<p>Professor Monte Pettitt Department of Chemistry University of Houston, U.S.A. Homepage: http://www.chem.uh.edu/Faculty/Pettitt/Research/ E-mai: pettitt@uh.edu</p>
<p>Professor Jacques Rappaz Chaire d'Analyse et Simulation Numériques Institut d'Analyse et Calcul Scientifique Ecole Polytechnique Fédérale de Lausanne Station 8, 1015 Lausanne, Suisse Tel.: ++41 21 693 25 40, Fax: ++41 21 693 25 45 Homepaeg: http://iacs.epfl.ch/asn E-mail: jacques.rappaz@epfl.ch</p>
<p>Assistant Professor Kui Ren University of Chicago, U.S.A. Homepage: http://people.cs.uchicago.edu/~kren E-mail: kren@uchicago.edu</p>
<p>Professor Dongyang Shi(石东洋) Department of Mathematics Zhengzhou University Zhengzhou, 450052, China E-mail: shidy@zzu.edu.cn</p>
<p>Professor Penger Tong Department of Physics The Hong Kong University of Science & Technology Clear Water Bay, Kowloon, Hong Kong Phone:(852)2358-7498 (office), (852)2358-7512(lab), Fax:(852)2358-1652 Homepage: http://physics.ust.hk/penger/ E-mail: penger@ust.hk</p>
<p>Professor Heyuan Wang(王贺元) Department of Mathematics and Physics Liaoning University of Technology, Jinzhou, 12100, China E-mail: wangheyuan6400@sina.com</p>
<p>Professor Lihe Wang Department of Mathematics University of Iowa Iowa City, IA 52242-1419, U.S.A. Homepage: http://www.math.uiowa.edu/~lhwang/ E-mail: lwang@math.uiowa.edu</p>

Dr. Lianwen Wang
Associate Professor
Department of Mathematics and Computer Science
University of Central Missouri
Warrensburg, MO 64093
Office: WCM 205B
Phone: (660) 543-8870, Fax: (660) 543-8013
Homepage: <http://www.math-cs.ucmo.edu/~lwang/>
E-mail: lwang@ucmo.edu

Dr. Zhian Wang
Postdoctoral Associate
Institute for Mathematics and its Applications
University of Minnesota
352 Lind Hall, 207 Church Street SE
Minneapolis, MN 55455, U.S.A.
Phone: 1-612-626-0803, Fax: 1-612-626-7370
Homepage: <http://www.ima.umn.edu/~zhiwang/>
E-mail: zhiwang@ima.umn.edu

Dr. Yongjiang Yu(余用江)
Department of Mathematics
Shanghai Jiaotong University
Shanghai, China
E-mail: yuyjiang@sjtu.edu.cn

Researcher Jiang Zhu
National Laboratory for Scientific Computing
LNCC/MCT
Av. Getulio Vargas 333
25651-075 Petropolis, RJ
Brazil
Phone: (55 24) 22336072, Fax: (55 24) 22336124
Homepage: <http://buscatextual.cnpq.br/buscatextual/visualizacv.jsp?id=K4794667P8>
E-mail: jiang@lncc.br

Professor Aixiang Huang (黄艾香)
Department of Mathematics
Xi'an Jiaotong University
710049, Xi'an, China
Tel: 0086-29-82669051, Fax: 0086-29-82669051
E-mail: axhuang@mail.xjtu.edu.cn

<p>Professor Yumin Cheng (程玉民) Shanghai Institute of Applied Mathematics and Mechanics, Shanghai University 200072, Shanghai, China Tel: 021-56331043 (O), 021-56999934(H) E-mail: ymcheng@staff.shu.edu.cn</p>
<p>Professor Qun Lin (林群) Department of Mathematics Xiamen University, Xiamen, China Tel: 0592-2183281 E-mail: linqun@xmu.edu.cn</p>
<p>Professor Linzhang Lu(卢琳璋) Department of Mathematics Xiamen University, Xiamen, China E-mail: lzlu@xmu.edu.cn</p>
<p>Professor Chuanju Xu(许传矩) Department of Mathematics, Xiamen University, Xiamen, China E-mail: cjxu@xmu.edu.cn</p>
<p>Professor Lihua Shen(沈丽华) Department of Mathematics Capital Normal University, Beijing 100037, China E-mail: shenlh@lsec.cc.ac.cn</p>
<p>Professor Xuejun Xu(许学军) the Institute of Computational Mathematics Chinese Academy of Science, China E-mail: xxj@lsec.cc.ac.cn</p>
<p>Professor Yichen Ma (马逸尘) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: ycma@mail.xjtu.edu.cn</p>
<p>Professor Liquan Mei (梅立泉) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: lqmei@mail.xjtu.edu.cn</p>

<p>Professor Dongsheng Li (李东升) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: lds@mail.xjtu.edu.cn</p>
<p>Dr. Lizhou Wang (王立周) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: wangliz@mail.xjtu.edu.cn</p>
<p>Dr. Zhengce Zhang (张正策) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: zhangzc@mail.xjtu.edu.cn</p>
<p>Dr. Huilian Jia (贾慧莲) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: jiahl@mail.xjtu.edu.cn</p>
<p>Dr. Jian Su (苏剑) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: jsu@mailst.xjtu.edu.cn</p>
<p>Dr. Jian Li (李剑) Department of Mathematics Baoji University of Arts and Sciences, Baoji, China E-mail: jiaaanli@gmail.com</p>
<p>Dr. Xiaoqin Shen (沈晓芹) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: elle_shen@sohu.com</p>
<p>Dr. Xinlong Feng(冯新龙) College of Mathematics and System Sciences Xinjiang University, Xinjiang, China E-mail: fxlmath@xju.edu.cn</p>
<p>Dr. Zhiming Gao(高志明) Department of Mathematics Xi'an Jiaotong Universtiy, Xi'an, China E-mail: dtgaozm@gmail.com</p>

<p>Dr. Wenjing Yan(晏文璟) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: sansery@126.com</p>
<p>Dr. Rong An (安荣) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: anrong@mail.xjtu.edu.cn</p>
<p>Yizheng Wei Student of Prof. Zhangxin Chen</p>
<p>Zhiyong Si(司智勇) College of Mathematics and System Sciences Xinjiang University, Xinjiang, China E-mail: sizhiyong@yahoo.com.cn</p>
<p>Pengzhan Huang(黄鹏展) College of Mathematics and System Sciences Xinjiang University, Xinjiang, China E-mail: wxydq@126.com</p>
<p>Huajun Xu(许华军) College of Mathematics and System Sciences Xinjiang University, Xinjiang, China E-mail: benbenxu147@hotmail.com</p>
<p>Chaojun Gao(高朝军) College of Mathematics and System Sciences Xinjiang University, Xinjiang, China E-mail: gaochaojun@yahoo.cn</p>
<p>Demin Liu (刘德民) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: mathldm@stu.xjtu.edu.cn</p>
<p>Feng Shi (史峰) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: fshi@mail.xjtu.edu.cn</p>

<p>Yuan Li (李媛) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: yuanli1984@gmail.com</p>
<p>Jiaping Yu (于佳平) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: yujiaping.yjp@gmail.com</p>
<p>Haibiao Zheng (郑海标) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: hbzheng@stu.xjtu.edu.cn</p>
<p>Qingfang Liu (刘庆芳) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: qfliu@stu.xjtu.edu.cn</p>
<p>Junxiang Lu (卢俊香) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: jun-xianglu@163.com</p>
<p>Peipei Cheng (程佩佩) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: nancy@stu.xjtu.edu.cn</p>
<p>Yan Zhang (张燕) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: yanz@stu.xjtu.edu.cn</p>
<p>Lin Mu (穆琳) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: raver@stu.xjtu.edu.cn</p>
<p>He Zhong(钟贺) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: he.zhong@stu.xjtu.edu.cn</p>

<p>Bin Lin(林彬) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: linbin@stu.xjtu.edu.cn</p>
<p>Hong-en Jia(贾宏恩) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: jiahongen@yahoo.com.cn</p>
<p>Jingtao Zhu(朱静涛) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: flash.cat@stu.xjtu.edu.cn</p>
<p>Tong Zhang(张通) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: t.zhang@stu.xjtu.edu.cn</p>
<p>Min Meng(孟敏) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: mengmin1984@stu.xjtu.edu.cn</p>
<p>Haiyan Sun(孙海燕) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: yanyan513@stu.xjtu.edu.cn</p>
<p>Cong Xie(谢聪) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: xiecong121@163.com</p>
<p>Benjie Lin(林本杰) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: lincy021@tom.com</p>
<p>Zhen Wang(王振) Department of Mathematics Xi'an Jiaotong University, Xi'an, China E-mail: yidouyi@163.com</p>