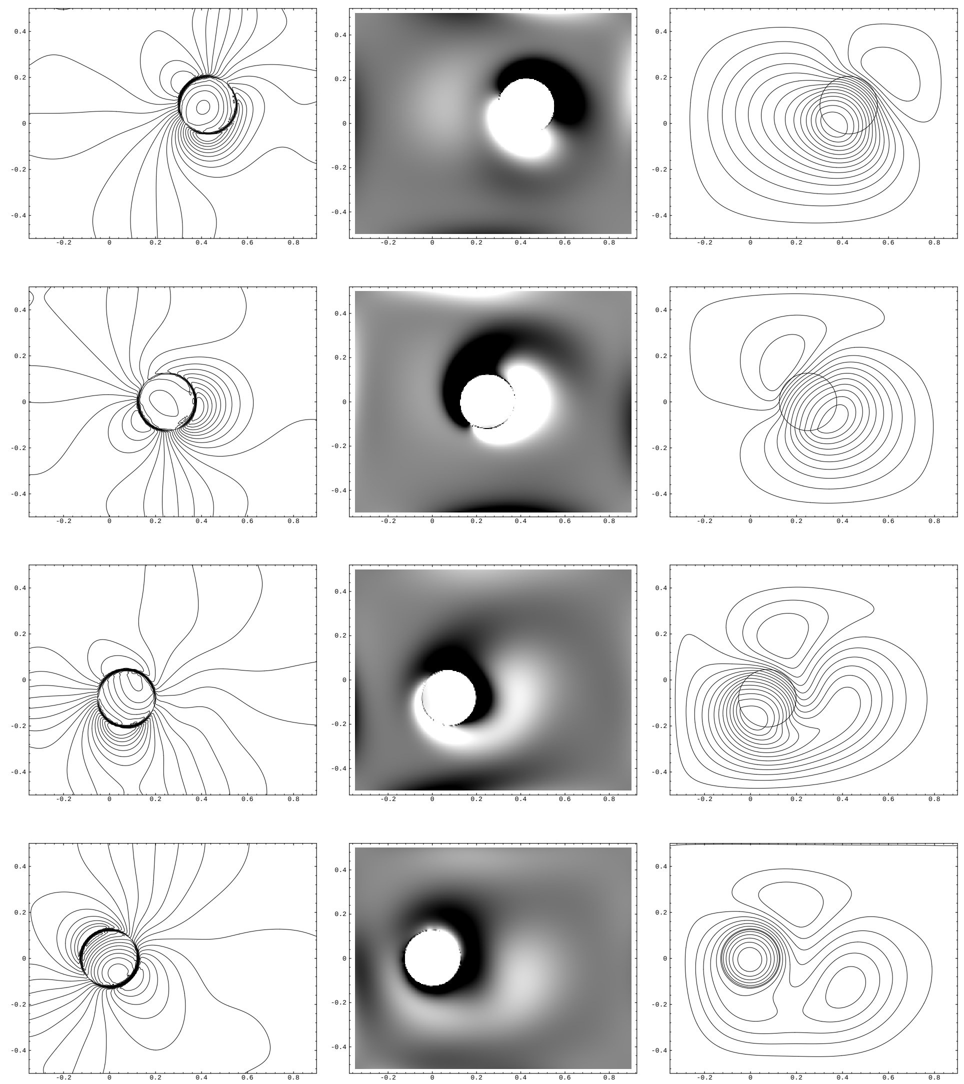

Figure 7 Isobar contours (at left), vorticity density (at middle) and streamlines (at right) at time $t = 6.5$, 7, 7.5, 8 during second half of one period of the disk motion. The disk is moving from the right to the left. The mesh size for velocity is $h = 1/256$ and the mesh size for pressure is $h = 1/128$.

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