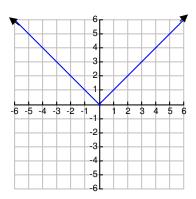
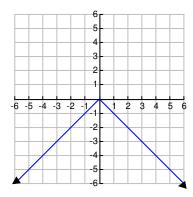
#### The Absolute Value Function - Notes

Another parent function is called the **absolute value function**. Its equation is y = |x| and it graphs a *'V-shape'*. The absolute value function and its graph can also be represented by a **piecewise function** and is defined as follows:  $f(x) = \begin{cases} x, & x \ge 0 \\ -x, & x < 0 \end{cases}$ 



The vertical stretch or shrink as well as the phase and vertical shifts follow the same guidelines as the linear functions. The negative sign in front of the absolute value symbol **reflects** the graph **across the x-axis**. The graph of y = -|x| looks like this:



The general equation for graphing all absolute value equations that open up or down is y = m|x-h|+k

Consider the equation: y = -3|x+1|-2

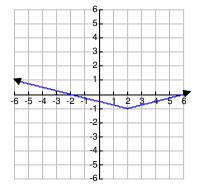
For this graph,

- a) the parent function is y = |x|
- b) the function name is <u>absolute value</u>.
- c) there is a \_\_\_\_\_ across the x-axis
- d) there is a vertical \_\_\_\_\_\_ by a factor of \_\_\_\_\_.
- e) the phase shift is \_\_\_\_\_ to the \_\_\_\_\_.
- f) the vertical shift is \_\_\_\_\_\_
- g) graph (Do the reflection first. Find the vertex using the phase and vertical shifts.)

## Write the equation from the given graph:

### For this graph,

- a) the parent function is \_\_\_\_\_
- b) the function name is \_\_\_\_\_
- c) is there a reflection across the x-axis? \_\_\_\_\_
- d) vertical stretch or compression\_\_\_\_\_
- e) phase shift \_\_\_\_\_
- f) vertical shift \_\_\_\_\_
- g) equation \_\_\_\_\_



# Write the equation from the given graph:

## For this graph,

- a) the parent function is \_\_\_\_\_
- b) the function name is \_\_\_\_\_
- c) is there a reflection across the x-axis? \_\_\_\_\_
- d) vertical stretch or compression\_\_\_\_\_
- e) phase shift \_\_\_\_\_
- f) vertical shift \_\_\_\_\_
- e) equation\_\_\_\_\_

