#### Welcome to Spring Semester 2016



#### Instructor: Dr. Blerina Xhabli



Important Information: Read the syllabus. - CourseWare Accounts (fingerprints) WWW. casa.uh.edu <- create an account go to CASA Center located at Garrison Gym. • free access for two weeks. - Textbook < at the end of two weeks, you need It will be available online the course access code on your CASA accounts. (\$50 bookstore)

- Daily Poppers - Section 12473 Beginning 3rd weck of desses, we'll have in-class easy quizzes. You need bubbling forms for these poppers (\$\$ 50 at bookstore).

- Homework (per section) = EMCF tab Homework will be assigned according to the sections. Follow the deadlines. Submit the solutions to case account under EMCF tab.

# - Online Quizzes

Once you complete course policy quiz, all the quizzes will be available to you. Follow the deadlines. Do not leave for the last day. You have 20 times for each!

## - 4 Exams and Final Exam

All exans will be taken at CASA center. You have to reserve yourself a seat during examperiod. You have two weeks in advance for each.

- Opt-Out option < at least 80% average. Once we are done with all assignments (except final), if your class average is \$\$80.00 % then you 'll have a chance to opt-out if you are satisfied with your grade!

### **Grades:**

**Test 1** - 10%

Tests 2, 3, 4 - 15% each

Final exam - 15%

Homework - 10%

**Online Quizzes - 10%** 

**Daily Quizzes (In-class Poppers) - 10%** 

Note: The percentage grade on the final exam can be used to replace your lowest test score. Course Policy Quiz:  $\leftarrow \quad Take \quad it \quad ASAP \downarrow$ You will need to make a 100 before you can access any exams, quiz, or homework.





#### Math 1330 Section 1.1 **An Introduction to Functions**

Note: This section covers prerequisite material. I will only solve some of the problems here. The rest will be exercises for you...

Let A and B be two nonempty sets. A function from A to B is a rule of correspondence that assigns to each element in A exactly one element in B. Here A is called the domain of the function and the set B is called the range of the function.

**Domain of a Function** (-the set of all possible inputs)

To determine the domain of a function, start with all real numbers and then eliminate anything that results in zero denominators or even roots of negative numbers

but  $q(k) = \frac{1}{x^2} + 3k$ 

 $\underbrace{\mathbb{N}}_{=}^{2} = \chi_{11}^{2} + 3\chi$ 

$$ex f(x) = \frac{1}{x}, x \neq 0 \qquad g(x) = \sqrt{x}, x \ge 0$$

 $2 \sim 2 \sim 1$  The domain of any polynomial function is  $(-\infty,\infty)$ , or all real numbers.

polynomial  $\Rightarrow$  sum of positive integer power of  $x_{2}$  p(x) =  $3x^{2} - 5x^{2} + 2$ . The domain of any rational function, where both the numerator and the denominator are but polynomials, is <u>all real numbers except</u> the values of *x* for which the denominator equals 0. > denominator = 0

domain of any radical function with even index is the set of real numbers for which the radicand is greater than or equal to 0. The domain of any radical function with odd index is

$$(-\infty,\infty)$$
. radicand  $\geq 0$ 

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**Example:** State the domain of the function. Write your answer using interval notation.

a)  $f(x) = \frac{x-3}{x+7}$  x + 7 = 0 x = -7 y1/22 Cxercise b)  $g(x) = \frac{x^2 - 5x + 4}{x^2 - 16}$ the next page D -7 not include c)  $h(x) = \sqrt{x+4}$ even root => X+4 >0 Ο Domain h = [-4,00 d)  $h(x) = \sqrt[3]{x^2 - 9}$ odd root => no problem => Domein = (-00,00) e)  $f(x) = \frac{x-1}{x-5}$ () As rational for,  $x-5 \neq 0$   $x \neq 5$ ② Looking separately, X-1≥0 => ×≥1





b) 
$$g_{u1} = \frac{\chi^2 - 5\chi + 4}{\chi^2 - 16}$$



Range of a Function (the set of all possible outputs) = all possible y-values of the graph. To determine the range of a function, determine what outputs are possible. This is not always easy. Sometimes it helps to graph the function. The graph tells everything about a function. You should know some of these from college algebra. For example: (1) The range of  $f(x) = x^2$  is  $[0, \infty)$ . (2) The range of  $g(x) = \sqrt{x}$  is  $[0, \infty)$ . (3) The range of h(x) = |x| is  $[0, \infty)$ . (4) The range of h(x) = |x| is  $[0, \infty)$ . (5) The range of h(x) = |x| is  $[0, \infty)$ . (6) The range of h(x) = |x| is  $[0, \infty)$ . (7) The range of h(x) = |x| is  $[0, \infty)$ . (7) The range of h(x) = |x| is  $[0, \infty)$ . (8) The range of h(x) = |x| is  $[0, \infty)$ . (9) Targe  $f = [0, \infty)$ . (9) Targe  $f = [0, \infty)$ . (9) Targe  $f = [0, \infty)$ .

You also need to be able to evaluate a function at a given value of x or at an expression

- **EVALUATION:** process of substituting the given value of X in the function ! **Example:** If  $g(x) = \frac{x}{2x-4}$ , find g(1), g(-5), g(2x-1), g(t+1)
  - $g(1) = \frac{1}{2 \cdot 1 4} = \frac{1}{-2}$   $g(2x-1) = \frac{2x-1}{2(2x-1)-4} = \frac{2x-1}{4x-6}$   $g(-5) = \frac{-5}{2 \cdot (-5)-4} = \frac{-5}{-14} = \frac{5}{14}$   $g(t+1) = \frac{t+1}{2(t+1)-4} = \frac{t+1}{2t-2}$

 $\begin{cases} extra \\ f(6) = -6 & = -36 \\ f(-1) = (-1)^{2} + 2(-1) = -1 \end{cases}$ 

**Piecewise Functions** 

Example: If 
$$f(x) = \begin{cases} 2x+4, & x < -1 \\ x^2+2x, & -1 \le x \le 5, \text{ find } f(0), f(4), f(5), \text{ and } f(-3). \\ -6x, & x > 5 \end{cases}$$

•  $f(0) = 0^2 + 2 \cdot 0 = 0$ •  $f(5) = 5^2 + 2 \cdot 5 = 35$ •  $f(4) = 4^2 + 2 \cdot 4 = 24$ • f(-3) = 2(-3) + 4 = -2• f(-3) = 2(-3) + 4 = -2

Recall : Size of a line blur two prints  

$$= m = \frac{32}{9} \frac{1}{2} \frac{1}{2} = \frac{1}{9} \frac{f(x+h) - f(x)}{(x+h) - x} = \frac{f(x+h) - f(x)}{h}$$
Average Rate of Change (Difference Quotient) (you will need this in Calculus!)  
change in  $x = \frac{f(x+h) - f(x)}{(x+h) - x} = \frac{f(x+h) - f(x)}{h} = slope of a steast line
on a curve.
That
The compute  $\frac{f(x+h) - f(x)}{h} = \frac{f(x+h) - f(x)}{h}$ , assuming that  $h \neq 0$ . You can be serve  
to do this in three steps:  
L. Compute  $f(x+h) - f(x)$ .  
3. Then compute  $\frac{f(x+h) - f(x)}{h}$  (calculate/simplify)  
 $\frac{f(x+h) - f(x)}{h} = \frac{f(x+h) - f(x)}{h}$  (calculate/simplify)  
 $\frac{f(x+h) - f(x)}{h} = \frac{f(x+h) - f(x)}{h} = \frac{f(x+h)$$