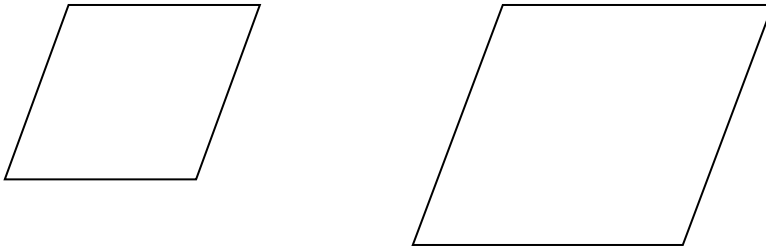


Two geometric figures that have exactly the same shape are similar \sim

Definition: Two polygons are similar if and only if two conditions are satisfied:

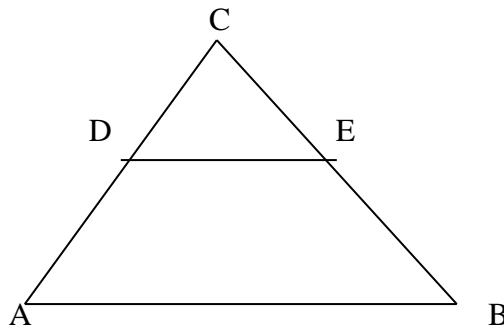
1. All parts of corresponding angles are congruent.
2. All pairs of corresponding sides are proportional.



Example 1: $\triangle ABC \sim \triangle XTN$, $m\angle A = 92^\circ$, $m\angle T = 27^\circ$, find the measures of the other angles.

Example 2: $\triangle ABC \sim \triangle XTN$, if $AB = 7$, $AC = 4$, $BC = 8$ and $XT = 10$. Find the length of XN and TN .

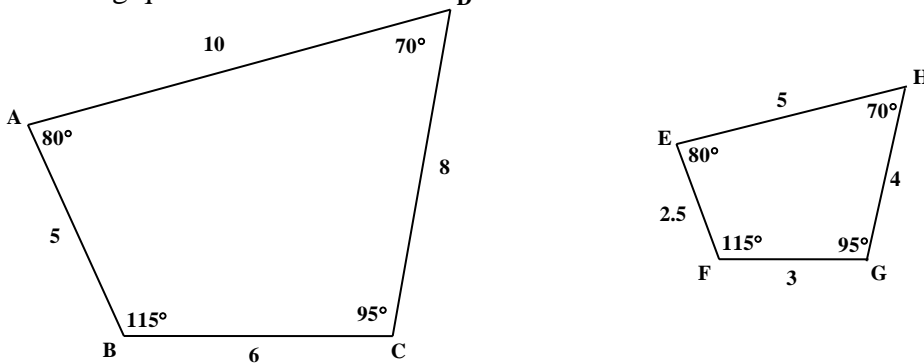
Example 3: $\triangle ABC \sim \triangle DEC$ and $AB \parallel DE$, solve for x . Given: $C = x + 4$, $AD = 9x + 2$, $DE = 9$ and $AB = 48$



Example 4: On a blueprint the length of an 18 foot room is represented by a line segment that is 3.6 inches long. What would a 15 foot room be represented by?

Scale Factor: The ratio of the lengths of two corresponding sides of two similar polygons.

The following quadrilaterals are similar:



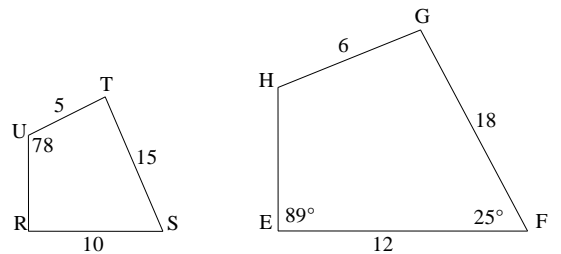
Why are they similar? Because.....

- 1) $\angle A \cong \angle E$ $\angle B \cong \angle F$ $\angle C \cong \angle G$ $\angle D \cong \angle H$
- 2) $\frac{AB}{EF} = \frac{BC}{FG} = \frac{CD}{GH} = \frac{DA}{HE} = \frac{2}{1}$ ← This is the scale factor!

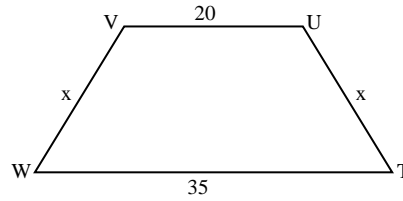
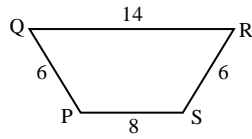
Example 5: Complete each statement: $RSTU \sim EFGH$

Complete each statement - $RSTU \sim EFGH$

- 1. $\angle R =$ _____
- 2. $\angle S =$ _____
- 3. $\angle H =$ _____
- 4. $\angle G =$ _____
- 5. $\frac{HG}{UT} =$ _____
- 6. $\frac{ST}{FG} =$ _____



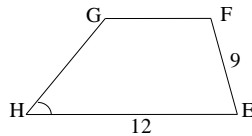
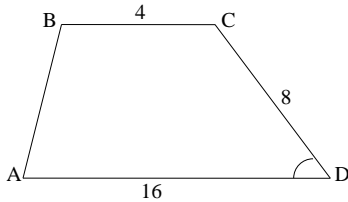
Example 8: Trapezoid PQRS is similar to trapezoid UTWV. Find the value of x .



a. identify the scale factor

b. UT or $x =$

Example 9: $ABCD \sim EFGH$, they are both quadrilaterals.



a. Find AB .

b. Find HG .

c. Find FG .

Example 10:

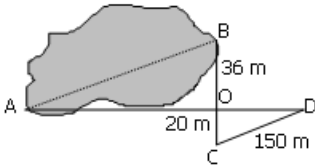
$\triangle ABC \sim \triangle DEF$. The scale factor of $\triangle ABC$ to $\triangle DEF$ is $3/7$. Draw a picture and then complete each statement.

a. If $AB=15$, then $DE=$

b. If $EF=42$, then $BC=$

c. If $DF=56$, then $AC=$

Example 11: In order to find the distance AB across a lake, a surveyor constructed $\triangle OCD$ similar to $\triangle OBA$. He measured OB (36m), OC (20m), and CD (150m) directly to obtain the lengths shown. Find the length of AB .



Example 12: $\triangle RST \sim \triangle RUV$ find x and y

